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Abstract

This is a template for the Proceedings of GFSNP 2026 with instructions for authors and some sample text. Participants should write here an abstract covering the main purpose, results, motivation and methods of their study.

2020 MSC: MSC code 1, MSC code 2, ...

KEYWORDS: Keyword 1, Keyword 2, Keyword 3, ...

1 Introduction

In this section, the authors may introduce their motivation and present literature review for their works.

1.1 Preliminaries

Here the authors may recall some definitions and notations. The authors must cite references by using the command `\cite{reference:label}`. For example; (*cf.* [1, 2, 4]).

2 Main results

In this section, the authors may present the main results of this paper.

Examples for some environments (definition, theorem, example, corollary, and etc.) are given as follows:

Definition 2.1. *The authors may write a definition by using this block.*

For example;

Definition 2.2 (*cf.* [5, Eq.-(5.1), p. 53]). *The numbers $y_{9,n}(\lambda; a)$ are defined by means of the following generating function:*

$$\frac{2}{a^t + \lambda} = \sum_{n=0}^{\infty} y_{9,n}(\lambda; a) \frac{t^n}{n!}. \quad (1)$$

Theorem 2.3. *The authors may write a theorem by using this block.*

For example; Theorem 2.4 show that the function $\mathcal{Z}_3(s; a, \lambda)$ interpolates the numbers $y_{9,k}(\lambda; a)$ at negative integer.

Theorem 2.4 (cf. [5, Theorem 5.10, p. 56]). *Let $\lambda \in \mathbb{C}$ ($|\frac{1}{\lambda}| < 1$) and $k \in \mathbb{N}$. Then we have*

$$\mathcal{Z}_3(-k; a, \lambda) = y_{9,k}(\lambda; a).$$

The authors must cite references by using the command `\ref{equation:label}`. For example; By using (1), we arrive at the following corollary.

Corollary 2.5. *The authors may write a corollary by using this block.*

Example 2.6. *The authors may write an example by using this block.*

Figures and graphics, if included, should be prepared suitable for photographic reproduction. GFSNP prefers graphics produced electronically and compiled in the EPS format. The authors must cite figures by using the command `\ref{figure:label}`. For example; Figure 1 shows the Logo of the Montes Taurus Journal of Pure and Applied Mathematics.

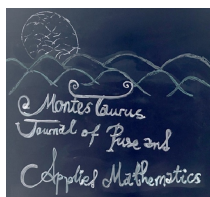


Figure 1: Logo of the Montes Taurus Journal of Pure and Applied Mathematics

The authors must cite tables by using the command `\ref{table:label}`. For example; Table 1 contains the highest and lowest temperatures on the days Monday, Tuesday and Wednesday.

| Day | Temp. (Max.) | Temp. (Max.) |
|-----------|--------------|--------------|
| Monday | 10°C | 22°C |
| Tuesday | 15°C | 23°C |
| Wednesday | 13°C | 21°C |

Table 1: Table Example

3 Conclusion

In this section, the authors may give remarks and observations to conclude their works.

Acknowledgments

Here, the authors may express their thanks for the financial support and etc.

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